Ballistic Pendulum – Conservation of Momentum

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Pre-Lab Report

Lab section:

Name & Surname:

Table #:

Before the Lab complete this page YOURSELF! Hand it in in the first 5 min. of the session PERSONALLY!

You MUST justify your answers and show all steps. NO COPYCAT answers, or NO credits!

Please read the relevant presentation on PHYS LAB Website.

Q1. Give definitions of elastic and inelastic collisions. Compare them in terms of energy and momentum. **Justify your answer or no credits!**

Q2. At what height is half the kinetic energy converted into potential energy? Give your answer with respect to the maximum height H. **Show your calculations below** <u>explicitly or no credits!</u>

(3rd Question is on the next page!)





Spring 2024

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Q3. What are the possible sources of error in this experiment? Answer this question in terms of the classification in your book. Justify your answer or no credits!





Lab Report

Lab section:

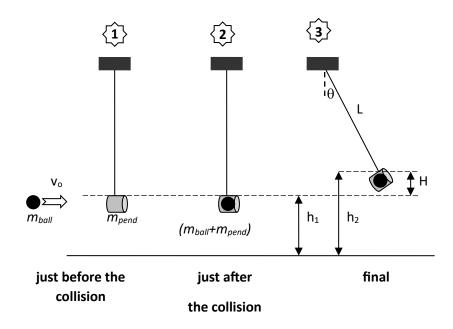
Name & Surname:

Table #:

Complete this report YOURSELF except DATA taking parts! Use a pencil for plots only and a pen for the rest! Show your work clearly, NO COPYCAT analysis allowed, or NO credits!

OBJECTIVE: To study the principle of conservation of momentum, and by applying this principle to measure the initial velocity of a ball.

THEORY:



In this experiment we will study the conservation of momentum using the ballistic pendulum. When the steel ball is shot towards the pendulum attachment of the apparatus, it will hit and stay inside the pendulum attachment. This is an example of a completely inelastic collision. We can express the conservation of momentum during the collision as:

$$m_{ball} v_o = (m_{ball} + m_{pend}) v_{final}.$$

Since the pendulum attachment is free to swing up, it will do so until all its kinetic energy turns into the potential energy:

$$\frac{1}{2} \left(m_{ball} + m_{pend} \right) v^2_{final} = \left(m_{ball} + m_{pend} \right) gH$$

The pendulum attachment pushes a pointer as it swings up until it reaches the maximum. Using this maximum angle information and the length of the pendulum attachment, we can determine H:

$$H = L(1 - \cos \theta)$$
.

Then using this value and working backwards from the equations above, we can determine the initial velocity of the ball:

$$v_0 = \frac{m_{ball} + m_{pend}}{m_{ball}} \sqrt{2gH}$$

APPARATUS: Ballistic pendulum with the pendulum attachment, meter stick, balance, steel ball

PROCEDURE:

- 1. By equating the momentum before the collision to that after the collision, and equating the kinetic energy of the system just after the collision to the increase in potential energy at the height h_2 , the initial velocity of the ball can be calculated.
- 2. Fire the ball into the pendulum two times for each compression level of the spring gun and determine the mean increase in height H. Do not forget to reset the angle pointer just before shooting the ball to the pendulum attachment. Calculate the initial velocity of the ball v_0 for corresponding compression level.



3

DATA:

Value & Unit

Acceleration due to gravity $g_{TV} = 9.81 \text{ m/s}^2$

Mass of m_{ball} =

the ball

Mass of $m_{\text{pend}} = \dots$

the pendulum

Length of $L = \dots = \dots$

the pendulum

Short Range

| Level of | | | H = L(1-Cos θ) | |
|----------------------------|-----|--|----------------|--|
| Compression | (i) | θ | () | |
| Short Range | 1 | | | |
| Compression | 2 | | | |
| Average of H ^{SR} | | $\frac{1}{2}\sum_{i=1}^{2}H_{i}^{SR}=$ | | |

Medium Range

| Level of | | | $H = L(1-\cos\theta)$ | |
|----------------------------|-----|--|-----------------------|--|
| Compression | (i) | θ | () | |
| Medium Range | 1 | | | |
| Compression | 2 | | | |
| Average of H ^{MR} | | $\frac{1}{2}\sum_{i=1}^{2}H_{i}^{MR}=$ | | |

Long Range

| Level of | (i) | | H = L(1-Cos θ) | |
|----------------------------|-----|--|----------------|--|
| Compression | | θ | () | |
| Long Range | 1 | | | |
| Compression | 2 | | | |
| Average of H ^{LR} | | $\frac{1}{2}\sum_{i=1}^{2}H_{i}^{LR}=$ | | |

CALCULATIONS & RESULTS

| Description/Symbol | | Calculations | Result | Dimension |
|-------------------------|---|------------------|--------|-----------|
| | | (show each step) | | |
| Velocity of | | | | |
| the ball for SR | | | | |
| $oldsymbol{V}_{SR-ave}$ | = | | | |
| | | | | |
| Velocity of | | | | |
| the ball for MR | | | | |
| $oldsymbol{V}_{MR-ave}$ | = | | | |
| | | | | |
| Velocity of | | | | |
| the ball for LR | | | | |
| $oldsymbol{V}_{LR-ave}$ | = | | | |
| | | | | |

Consult to the resources for this experiment from PHYS LAB Website:







Presentation #4

PHYL101 Lab Book

